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Technical Series No. 73-1

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SHAD

A Computer Program for the Computation of Age
and Growth Statistics of Fish

STATE CONSERVATION COMMISSION
FISHERIES SECTION
300 FOURTH STREET
DES MOINES, IOWA 50319

SHAD
A COMPUTER PROGRAM FOR COMPUTATION
OF AGE AND GROWTH STATISTICS OF FISH

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Technical Series 73-1

Fisheries Section

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INTRODUCTION

The original version of SHAD was written in 1970 to aid fisheries biologists in this department with tedious computations of mathematical equations associated with age and growth studies of fishes. Age and growth statistics are essential parts of life history studies of fishes, and are particularly useful for evaluation of population surveys. Fish grow throughout their life span so growth is a primary function of age. Stress in fish is quickly reflected in growth and body condition. The basic question asked by biologists is, "How long does it require for a fish to reach a certain size, either in terms of body length or weight?" Reliable answering of this question forms the basis for evaluating many biological parameters of a fish population. More important it defines growth characteristics, age structure and the relationship between age and body measurements.

Mathematical computation of age and growth statistics are both tiresome and error prone. Without mechanical or electronic computing devices the solution of most equations are virtually impossible without gross error. High speed electronic computers are far superior to all other, significantly reducing both time and cost. Several age and growth programs have been developed, but most handled only portions of complete studies (Gerking, 1965; Voigtlander and Roohvarg, 1967; Dahlberg, 1966; Chadwick, 1966; Swingle, 1964). Others would require extensive modification before they would function in a computer system available to this department.

SHAD is a complete age and growth program and contains routines for length-weight regression, body condition factors, body-scale regression, length-frequency distribution and back calculation of body length at the end of each year of life. The program provides routines for single and multiple regression analysis, analysis of variance, plotting and obtaining frequency distribution. The main routine controls the type and sequence of data input and serves as the supervisor for

extrapolating all analyses, plots, frequency counts, transformations and means.

The original program was written by the author and Kenneth Merritt, Statistical Numerical Analysis Section, Statistical Laboratory, Iowa State University.

Revisions were made by the author and William Kennedy of the ISU laboratory. SHAD has been placed in disk storage in the IBM 360-65 system at ISU and can be executed from location by STM2.ME(SHAD). FORTRAN IV, LEVEL G language is used for the program. Present core requirements for execution are 128K bytes. The greatest change from the original version of SHAD was made for computation of body length at the end of each year of life by Dahl-Lea direct proportion method. For implementation of English and metric values several adjustments were required for the input and output formats. Program changes are also required for statements 0032, 0033, 0102 and 0107 when converting English values to metric values (see Appendix A). Both programs utilize the same main supervision routine and four sub-routines for regressions analysis, plotting, plot border and plot labelling.

PROGRAM RESTRICTIONS

Limitations of problematic parameters for present version of SHAD are the following:

- | | |
|---|-----|
| 1. Maximum number of fish in sample | 400 |
| 2. Maximum number of variables (NAGE + 3) | 12 |
| 3. Maximum number of length intervals | 30 |

These limitations may be increased by enlarging arrays and requiring additional core.

INPUT REQUIREMENTS

Data are entered for punching on standard IBM coding forms or similar column paper paper. The listings of input data are made in the following sequence.

Column 1 = serial number

Column 2 = age of fish

Column 3 = total length (TL) in .1 inches or 1 mm

Column 4 = weight in .01 lbs or 1 gm

Column 5 = scale radius in .1 inches or 1 mm

Column 6 =

.

.

.

n = radius in .1 inches or 1 mm at NAGE

Any column can be used so long as the format card reflects the number of the columns used. No particular order is required for data cards, although it is often easier to read the input record if ages are listed in ascending order.

Identification at the start of the program is limited to 80 columns per line including spaces, letters and other characters. As many lines as needed may be used to identify the data. An example of proper identification is as follows:

Line 1 - AGE AND GROWTH OF WHITE CRAPPIE - RED HAW - 1972

Line 2 - DATA WERE COLLECTED FROM SEINE HAUL JUNE AND JULY

Line 3 - DATA ARE FOR COMBINED SEXES

Line 4 - COLLECTOR WAS SQUIBB AND AGED BY PUTNAM

One of several jobs can be executed during each computer run. For each job the following header cards must accompany the job deck in the order indicated.

Card 1: Title card(s)

<u>Column</u>	<u>Meaning</u>
1-80	Identification (may also be blank)

Card 2: Control card for reading data

1-5	NOBS number of observations input
6-10	NAGE maximum age of fish
11-80	(blank)

Card 3: Format card for data input

1-80 Card must contain I-format for the first two
elements and F-format for NAGE + 3 variables

Card 4: Data cards

1-80 The total number of variables input from each data
card is three plus the maximum age (NAGE + 3). These
variables follow the serial number and age which is
input using I-format conversion codes. The order for
these variables should be punched and should follow
the example under INPUT REQUIREMENTS.

PROGRAM OUTPUT

The title (Card 1) and data (Card 4) are printed for documentation and
identification of the problem.

LENGTH FREQUENCY AND CONDITION FACTORS

Class intervals for obtaining frequency distribution of TL is either .5 or
1.0 inches for the English version or 15 or 25 mm for the metric version. If any
fish in the sample exceeds 20 inches or 500 mm the frequency interval is set at
the higher value, otherwise the interval will be .5 inches or 15 mm. This arrange-
ment was necessary to eliminate the very small number of groups resulting from
species of fish not attaining great body length, such as crappie, perch and blue-
gill. The body condition factor, C or K and means for TL, weight and scale
radius are printed for each size interval. Default values for means having zero
frequency counts is zero.

Length-frequency distribution, mean TL, mean wgt, mean scale radius and C or
K factors are printed under the heading format

<u>NO.</u>	<u>GROUPS</u>	<u>FREQ.</u>	<u>LENGTH</u>	<u>WEIGHT</u>	<u>SCALE RADIUS</u>	<u>C-K FACTOR</u>
------------	---------------	--------------	---------------	---------------	-------------------------	-------------------

The condition factor C and K for the i^{th} class interval is a truncated integer

$$C(K) = (1/L_i)^3 (W_i) \times 10^4$$

for zero frequency the condition factor is not computed.

Class intervals for the length-frequency distribution are listed as truncated integers, where interval ranges are written in exponential notation. The value 6.0 falls within the 5.5-6.0 class interval, but would be written as

5.50001E00 - 6.00000E00

and followed by intervals

6.00001E00 - 6.50000E00

6.50001E00 - 7.00000E00.

PLOTTING OF LENGTH-WEIGHT AND BODY-SCALE REGRESSIONS

For each pair of variables plotted, maximum and minimum values are obtained and used to determine the range for the ordinate and abscissa. This insures enough space will be allowed to include all points while utilizing maximum scaling. The dependent variable is always plotted on the vertical axis against the independent variable on the horizontal axis. Default values in the grouped body-scale regression are entered as 0,0 in both raw data and predicted plots. All intervals on the plot are printed in exponential notation.

A list of plots included in SHAD are as follows:

<u>Independent variable (X)</u>	vs	<u>Dependent variable (Y)</u>
1. Raw body length		Raw body weight
2. Log_{10} body length		Log_{10} body weight
3. Grouped mean scale radius		Grouped mean body length
4. Grouped mean scale radius		Predicted linear grouped mean body length
5. Grouped mean scale radius		Predicted quadratic grouped mean body length

LENGTH-WEIGHT AND BODY-SCALE REGRESSION ANALYSIS

Output from the regression algorithm of m independent (X) variables and one dependent (Y) variable was expressed as

<u>N</u>	<u>Regression coefficient</u>	<u>T</u>	<u>S.D.</u>
1	$\hat{\beta}_0$	t_0	S_{β_1}
2	$\hat{\beta}_1$	t_1	S_{β_2}
.	.	.	.
.	.	.	.
$m + 1$	$\hat{\beta}_m$	t_m	S_{β_m}

where i estimated the i^{th} coefficient in the linear model

$$Y_i = \beta_0 + \beta_1 X_{i1} + \beta_2 X_{i2} + \cdots + \beta_m X_{im} + \epsilon_i, \quad i = 1, 2, \dots, n,$$

$S^2\beta_j$ was the estimated variance of β_j and t_i was the test statistic for testing the null hypothesis $\beta_j = 0$.

Regression analysis, means and the multiple coefficient of determination (r^2) output was computed and expressed as

Analysis of variance

Source of variation	df	SS	MS	F
Regress	m-1	$\sum_{i=1}^m \beta_i \sum_{j=1}^n X_{ij} Y_j$	R	R/S^2
Error	n-m	Subtraction	S^2	
Total	n-1	$\sum_{i=1}^n (Y_i - \bar{Y})^2$		

$$\text{Multiple } r^2 = R(m-1) / \sum_{i=1}^n (Y_i - \bar{Y})^2$$

X means (independent variable)

1	\bar{X}_1
2	\bar{X}_2
1	.
.	.
.	.
m	\bar{X}_m

Y means (dependent variable)

1	\bar{Y}
---	-----------

Predicted values (\hat{Y}_i) of the dependent variable, Y_i , was extrapolated from the computed regression and had the generalized form

$$Y_i = \hat{\beta}_0 + \hat{\beta}_1 X_{i1} + \dots + \hat{\beta}_m X_{im}$$

where the i^{th} residual was the difference $Y_i - \hat{Y}_i$.

LENGTH-WEIGHT RELATIONSHIP

The length-weight relationship was expressed as the logarithmic transformed regression equation

$$\log_{10} W_i = \gamma_0 + \gamma_1 \log_{10} L_i + \epsilon_i,$$

where W_i is the observed body weight, L_i is the observed body length and ϵ_i is the residual.

This analysis can be extended to include a test of allometric growth. Estimated variance and the test statistic (T) for the length-weight regression are the same as before except the null hypothesis is tested for $\beta_j = 3$.

Comparison of length-weight regressions for two or more samples can be tested by two procedures taken directly from the printout. Confidence interval for the 95% level can be set around the regression coefficients by the usual fashion using a t distribution. For the slope coefficient, b, the procedure is

$$b - t_{.05} S_b \leq \beta \leq b + t_{.05} S_b$$

where $n - 2$ is required for degrees of freedom in a two-tailed distribution. If these intervals overlap there is little reason to believe slope of the two regression differ significantly. Analysis of covariance in slope and elevation can be tested in a t distribution by

$$t = \frac{b_1 - b_2}{\sqrt{V(1) + V(2)}}$$

However, this method would be restricted to two samples. Procedures for analysis of covariance of regression coefficients for more than two samples can be found in Snedecor and Cochran (1967:419). Extension of the analysis of variance will greatly enhance the meaning of length-weight relationship and lead to a superior knowledge of fish population characteristics.

BODY-SCALE REGRESSION

Faced with a choice of linear or non-linear regression for body-scale relationships, particularly for catfishes the regressions are computed in three different forms. The first is a simple linear regression equation for grouped data in the model

$$L_i = \beta_0 + \beta_1 S_i + \epsilon_i,$$

where L_i is the mean body length, S_i is the mean scale radius and ϵ_i is the residual. Second, a quadratic model is computed in the form

$$L_i = \alpha_0 + \alpha S_i + \alpha S_i^2 + \epsilon_i,$$

where L and S are the same as before. Last, both linear and quadratic models with the intercept through the origin is computed from the models

$$L_i = \beta_0 S_i + \epsilon_i \text{ and } L_i = \alpha_0 S_i + \alpha S_i^2 + \epsilon_i$$

where L and S are again identical with previous forms.

There are several procedures for comparing the fit of linear and quadratic equations. The simplest is to compare T statistics in the printout, which would infer a difference existed, but not the significance of the difference. If it is obvious, which is rare, the comparison need not be carried further. In many instances a linear fit is satisfactory, but the accuracy of back calculations of length can be greatly improved by using the quadratic equation. Comparisons are made by using the analysis of variance table computed and printed for each model. Deviations sums of squares accounted for by the simple linear equation for the term of one degree is printed in the AOV table. The difference between this quantity and the deviations sums of squares for the second order equation are directly comparable with the error term from the latter equation. As an example:

<u>Source of variation</u>	<u>df</u>	<u>SS</u>	<u>MS</u>	<u>F</u>
Second order equation	2	(from quadratic equation table)		
First order equation	1	(from linear equation table)		
Difference	1	(subtraction)		
Error from second order equation	m	(from quadratic equation table)		

The value of F at 1 and m df will determine the level of significant. Most use of the linear model with the zero intercept would be made when intercepts for the simple linear model were negative values.

BACK CALCULATION OF LENGTH AT EACH ANNULUS

The final output is tables containing the grouping of fish by age and estimating body length at each annulus by measurements of annulus distance from the focus of the scale. For each NAGE group, mean scale radius for annuli 1, 2, ..., NAGE are computed. The age frequency is printed along with the mean scale radius under the following format.

GROWTH COMPUTATION GROUPING BY AGE AND MEAN RADIUS

<u>Age</u>	<u>No.</u>	<u>1</u>	<u>2</u>	<u>3</u>	<u>NAGE</u>
1	f_{11}	\bar{X}_{11}			
2	f_{21}	\bar{X}_{21}	\bar{X}_{22}		
3	f_{31}	\bar{X}_{31}	\bar{X}_{32}	\bar{X}_{33}	
:	:	:	:	:	
NAGE	f_{NAGE_1}	\bar{X}_{NAGE_1}	\bar{X}_{NAGE_2}	\bar{X}_{NAGE_3}	$\bar{X}_{\text{NAGE}, \text{NAGE}}$

where

$$\bar{X}_{ij} = \frac{f_{ij}}{\sum_{k=1} X_{ijk}} / f_{ij},$$

and f_{ij} is the frequency of the i^{th} age at annulus j .

When the body-scale relationship is linear with an intercept at the origin, scale growth is directly proportional to body growth and the estimated body length is computed as

$$L_{ij} = \frac{\bar{S}_{ij}}{\bar{S}_i} L_j \quad i, j, \dots, \text{NAGE.}$$

For fish where the body-scale relationship is linear but not necessarily directly proportional the estimated body length is computed as

$$L_{ij} - \hat{\beta}_0 = \frac{\bar{S}_{ij}}{\bar{S}_i} (L_j - \bar{S}_j) \quad i, j, \dots, \text{NAGE.}$$

In case of a non-linear body-scale relationship estimated body length is extrapolated from the quadratic function

$$L_{ij} = \hat{\alpha}_0 + \hat{\alpha}_1 \bar{S}_{ij} + \alpha_2 \bar{S}_{ij}^2 \quad i, j, \dots, \text{NAGE.}$$

The \bar{S}_{ij} in all equations was the mean scale radius at age i , annulus j .

Increments for the estimates are computed from

$$\hat{L}_{i,j+1} - \hat{L}_{i,j} \quad i, j, \dots, \text{NAGE}$$

with

$$\hat{L}_{i,1} = \hat{L}_{i,1} \quad i, j, \dots, \text{NAGE}$$

Estimated body length at each annulus can also be computed by successive summation of the grand averaged increments.

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1967. Age and growth program, control data 3600, FORTRAN 63-FORTRAN IV. Trans. Am. Fish. Soc., Vol. 96, No. 3, 364-66.

APPENDIX

Table 1

Source listing of main routines and sub-routines for SHAD using format for English values.


```

0001      CCOMMON A(400),U(400),N, L, DET, X3(400),Y3(400),B(10)
0002      CCOMMON XXY(400,4) ,YY(400)
0003      DIMENSION IDENT(400,2),D1(400,14)
0004      DIMENSION FMT(20), F(99), Z(99),SUM(99,20),ICNT(99,20),PD1(25,20)
0005      DIMENSION PD2(25,20),PD3(25,20),PD4(25,20),IPX(99),BX(10,3)
0006      DIMENSION X33(100),Y33(100),BB(10)
0007      100 CONTINUE
0008      READ(1,2,END=101) FMT
0009      WRITE(3,115) FMT
0010      115 FORMAT('1',20X,20A4,/)
0011      READ(1,1) NOBS, NAGE
0012      1 FORMAT(10I5)
0013      NVAR=NAGE+3
0014      N=NOBS
0015      N2 = 2
0016      READ(1,2) FMT
0017      2 FORMAT(20A4)

C
C      READ RAW DATA INTO D1(I,J) UNDER FMT
0018      M12 = 12
0019      NVAR1= NVAR+1
0020      DO 3 I = 1,NOBS
0021      READ(1,FMT) (IDENT(I,J),J=1,N2), ( D1(I,J),J=1, NVAR )
0022      WRITE(3,116) (IDENT(I,J),J=1,N2), (D1(I,J),J=1,NVAR)
0023      116 FORMAT(' ',I5,I3,2X,10(10F11.4,/11X))
0024      3 CONTINUE
0025      DO 4 I = 1, NOBS
0026      X3(I) = D1( I,1)
0027      4 Y3(I) = D1( I,2)

C
C      PART 1: LENGTH-WEIGHT REGRESSION USING RAW DATA
C      PLOT LENGTH(X),VS. WEIGHT(Y)
C

0028      ICODE = 1
0029      WRITE(3,400)
0030      400 FORMAT('1',20X,'LENGTH-WEIGHT PLOT OF RAW DATA',
0031      1 ' DEPENDENT VARIABLE: WEIGHT',/)
0031      CALL PLOT(ICODE,XMAX,XMIN,YMAX, YMIN)
0032      XINT =.5
0033      IF( XMAX.GT.20) XINT= 1.
0034      ICT = 0
0035      IST = XMIN
0036      M10 = 10
0037      M25 = 99
0038      Z(1) = IST
0039      DO 18 I = 2, M25
0040      II= I- 1
0041      F(II) = 0

```

```
0042      Z(I) = Z(II) + XINT
0043      ICT = ICT+ 1
0044      IF( Z(I) .GT. XMAX) GO TO 19
0045 18 CONTINUE
0046 19 CONTINUE
0047      I =ICT
0048      IC =ICT+1
0049      II=ICT+2
0050      I1=ICT+3
0051      Z(IC )=Z(I) +XINT
0052      Z(II)=Z(IC )+XINT
0053      Z(I1)=Z(II)+XINT

C
C      THERE ARE ICT INTEVERALS OF LENGTH XINT EACH (.5 OR 1.0 )
C

0054      DC 33 I = 1,M25
0055      DO 33 J = 1,M10
0056      SUM(I,J) = 0
0057 33 ICNT(I,J)=0
0058      M3 = 3
0059      M4 = 4
0060      M1=1
0061      IC=ICT+1
0062      DO 20 II= 1, NOBS
0063      DO 200 I= 1, IC
0064      I1=I-1

C
0065      IF( D1(II,1) .GT. Z(I)) GO TO 200
0066      DO 201 J= 1, M3
0067      SUM(I1,J)= SUM(I1,J) + D1(II, J)
0068      ICNT(I1,J)=ICNT(I1,J) + 1
0069 201 CONTINUE
0070      GO TO 20
0071 200 CONTINUE
0072 20 CCNTINUE
0073      DO 82 I = 1,ICT
0074      DO 82 J = 1,M3
0075      IF(ICNT(I,J) .EQ. 0) GO TO 82
0076      SUM(I,J) = SUM(I,J) / ICNT(I,J)
0077 82 CONTINUE
0078      WRITE(3,21)
0079 21 FORMAT('1',30X,'LENGTH-FREQUENCY DISTRIBUTION',// )
0080      KK=0
0081      DO 353 I=1,ICT
0082      IF(ICNT(I,1) .NE. 0) GO TO 354
0083 353 KK=KK+1
0084 354 CONTINUE
0085      DO 359 I=1,NOBS
```



```

0086      359 A(I)=0
0087          K1=KK
0088          DO 355 I=1,ICT
0089              KK=KK+1
0090              Z(I)=Z(KK)
0091              ICNT(I,1)=ICNT(KK,1)
0092          DO 356 J=1,M3
0093      356 SUM(I,J)=SUM(KK,J)
0094      355 CCNTINUE
0095          DO 350 I=1,ICT
0096              IPX(I)=10000000
0097              IF(SUM(I,1).EQ.0) GO TO 350
0098              A(I)=(1/SUM(I,1)**3 ) * SUM(I,2)*100000
0099              IPX(I)=A(I)
0100      350 CONTINUE
0101          WRITE(3,500)
0102      500 FORMAT('0', 21X,'GROUPS',16X,'FREQ.',7X,'LENGTH',9X,'WEIGHT',6X,
1 'SCALE-RADIUS',5X,'C-FACTOR',/)
0103          ICT=ICT-K1
0104          DO 23 I= 1, ICT
0105              II = I+ 1
0106              WRITE(3,22) I, Z(I),Z(II), ICNT(I,1), (SUM(I,J),J=1,M3), IPX(I)
0107      22 FORMAT(' ', I5,10X, F8.1,'-',F8.1, 10X, I5,3F15.4,5X,I5)
0108      23 CCNTINUE

```

```

C          LENGTH WEIGHT REGRESSION      Y = A * X** N
C          X = RAW LENGTH , Y = RAW WEIGHT
C          TRANSFORM TO LOG Y = A + B*LOG X + E
C

```

```

0109      DO 9 I = 1, NOBS
0110          XXY(I,2) = ALOG10(D1(I,1) )
0111      9 XXY(I,3) = ALOG10(D1(I,2) )
0112          N = NOBS
0113          M = NOBS
0114          NX= 1
0115          LD= 0
0116          LIX= 0
0117          LCX= 0
0118          LRX= 0
0119          LCXY=0
0120          LPD= 1
0121          ICODE= 0
0122          K = 0
0123          CALL REGRES ( M,NX,LD,LRX,LCX,LIX,LPD,LCXY,JOBS)
0124          JOBS=0

```

```

C
0125      DO 24 I= 1, NOBS
0126      24 Y3(I) = YY(I)

```

```
0127          ICODE = 2
0128          WRITE(3,401)
0129          401 FORMAT('1',20X,' PREDICTED LENGTH-WEIGHT PLOT OF RAW DATA',
1 10X,'DEPENDENT VARIABLE: LOG WEIGHT',/)
0130          CALL PLOT(ICODE,XMAX,XMIN, YMAX,YMIN )

C
C          BEGIN SECOND REGRESSION: BODY - SCALE
C

0131          31 FCRMAT(' ', 2I5,' ICNT(I,J) WAS ZERO' )
0132          DO 30 I = 1,ICT
0133          X3(I) = SUM(I,3)
0134          Y3(I) = SUM(I,1)
0135          X33(I)=X3(I)
0136          Y33(I)=Y3(I)
0137          M = ICT
0138          XXY(I,2) =X3(I)
0139          30 XXY(I,3) =Y3(I)
0140          ISWTCH=1
0141          994 CONTINUE
0142          IF(ISWTCH.EQ.1) GO TO 996
0143          WRITE(3,991)
0144          991 FCRMAT('1',3X,'LINEAR AND QUADRATIC ESTIMATION BASED ON',/)
0145          WRITE(3,990)
0146          990 FORMAT(' ',3X,'FITTING THE BODY-SCALE REGRESSION MODEL',/)
0147          WRITE(3,989)
0148          989 FORMAT(' ',3X,'CENTERED TO THE ORIGIN',//)
0149          SUM1=0.0
0150          SUM2=0.0
0151          DO 999 I=1,M
0152          SUM1=SUM1+X33(I)*X33(I)
0153          999 SUM2=SUM2+X33(I)*Y33(I)
0154          D=SUM2/SUM1
0155          BB(1)=0.
0156          BB(2)=D
0157          WRITE(3,998) D
0158          998 FCRMAT('0',3X,'NEW REGRESSION COEFF.',2X,F8.4,/)
0159          GO TO 995
0160          996 CCNTINUE
0161          CALL REGRES ( M,NX,LD,LRX,LCX,LIX,LPD,LCTX,JOBS)
0162          N = ICT
0163          ICODE = 1
0164          WRITE(3,402)
0165          402 FCRMAT('1',20X,'LINEAR BODY-SCALE PLOT',
1'CF GROUPED MEANS',10X,'DEPENDENT VARIABLE: BODY LENGTH',/)
0166          CALL PLOT(ICODE, XMAX,XMIN,YMAX,YMIN )
0167          DO 93 I= 1,ICT
0168          93 Y3(I) = YY(I)
0169          ICODE = 2
```



```
0170      WRITE(3,403)
0171      403 FORMAT('1',20X,'LINEAR PREDICTED BODY-SCALE PLOT',
1'OF GROUPED MEANS',10X,'DEPENDENT VARIABLE: BODY LENGTH',/)
0172      CALL PLOT(ICODE,XMAX,XMIN,YMAX, YMIN )
0173      M2 = 2
0174      ICODE = 1
0175      DO 94 I= 1,ICT
0176      94 Y3(I) = YY(I)
C      BEGIN PART 3: BODY-SCALE BY POLYNOMIAL FIT
C
0177      DO 126 I=1,M2
0178      126 BX(I,1) = B(I)
C
0179      DO 40 I = 1,ICT
0180      XXY(I,4) = SUM(I,1)
0181      XXY(I,3) = SUM(I,3) * SUM(I,3)
0182      40 XXY(I,2) = SUM(I,3)
C
0183      NX = 2
0184      M = ICT
C
0185      CALL REGRES ( M,NX,LD,LRX,LCX,LIX,LPD,LICY,JOBS)
0186      ICODE = 2
0187      DO 41 I = 1,ICT
0188      41 Y3(I)= YY(I)
0189      ICODE = 2
0190      WRITE(3,404)
0191      404 FORMAT('1',20X,'QUADRATIC PREDICTED BODY-SCALE PLOT',
1'OF GROUPED MEANS',10X,'DEPENDENT VARIABLE: BODY LENGTH',/)
0192      CALL PLOT(ICODE,XMAX,XMIN,YMAX, YMIN )
C
0193      M3 = 3
0194      M10 =10
0195      M25 =25
0196      DO 102 I =1, M3
0197      102 BX(I,2) = B(I)
C
C      BEGIN PART 4: GROWTH COMPUTATION
C      GROUPING BY AGE MEAN RADIUS AT EACH ANNULUS
C
0198      DO 50 I= 1, 25
0199      DO 50 J= 1, 20
0200      SUM(I,J) = 0
0201      50 ICNT(I,J)= 0
0202      NVAR2=NVAR-3
0203      DO 51 J = 1, NVAR2
0204      DO 51 I = 1, NOBS
0205      K= J+3
0206      II = IDENT(I,2)
```

```

0207         IF( D1(I,K).EQ.0) GO TO 51
0208         SUM(I,I,J) = SUM(I,I,J) + D1(I,K)
0209         ICNT(I,I,J) = ICNT(I,I,J) + 1
0210         51 CONTINUE
0211         M12 =12
0212         DO 53 I =1,NAGE
0213         DO 53 J=1,NAGE

C
0214         IF( ICNT(I,J).EQ.0) GO TO 53
0215         SUM(I,J) = SUM(I,J) / ICNT(I,J)
0216         53 CONTINUE
0217         IF(ISWTCH.EQ.1) GO TO 992
0218         995 BX(1,1)=BB(1)
0219         BX(2,1)=BB(2)
0220         992 CCNTINUE
0221         WRITE(3,98)
0222         98 FORMAT('1',20X,'LINEAR GROWTH COMPUTATION GROUPING BY AGE',1X,
1'MEAN RADIUS',/)
0223         WRITE(3,412) (I,I=1,NAGE)
0224         412 FORMAT(' ',2X,'AGE',2X,'NO.',7X,12(5X,I5) ,/)
0225         DO 54 I = 1, NAGE
0226         WRITE(3,56) I, ICNT(I,1), (SUM(I,J),J=1,I )
0227         56 FORMAT(' ', I5, 15,10X, 12F10.4 )
0228         54 CONTINUE
0229         WRITE(3,58)
0230         58 FORMAT('1',10X, 'ESTIMATED BODY LENGTH AND INCREMENTS AT ',
1 'EACH ANNULUS GROWTH',///)
0231         WRITE(3,59)
0232         59 FORMAT('0',20X,'LINEAR ESTIMATED BODY LENGTH AT ANNULUS',//)

C
C         FOR ESTIMATED TOTAL BODY LENGTH AT NTH ANNULUS USE BEST FIT
C         FROM BODY LENGTH - SCALE REGRESSION
C         CALCULATE AND PRINT BOTH LINEAR AND QUADRATIC .
C
0233         DO 60 I = 1, NAGE
0234         DO 60 J = 1, NAGE
0235         PD1(I,J) = 0
0236         PD2(I,J) = 0
0237         PD3(I,J) = 0
0238         60 PD4(I,J) = 0
0239         NX1 = NX +1
0240         DO 61 I = 1, NAGE
0241         DO 61 J = 1, I
0242         PD1(I,J) =BX(1,1) + SUM(I,J)* BX(2,1)
0243         61 PD2(I,J) =BX(1,2) + SUM(I,J)*BX(2,2)+SUM(I,J)*SUM(I,J)* BX(3,2)
0244         NC1 = NAGE - 1
0245         WRITE(3,412) (I,I=1,NAGE)
0246         DC 62 I= 1,NAGE

```

```
0247      C      62 WRITE(3,56) I , ICNT(I,1)      , ( PD1(I,J),J=1,I)
      C
0248      DC 63 I = 1, NAGE
0249      PD3(I,1) = PD1(I,1)
0250      PD4(I,1) = PD2(I,1)
0251      DO 63 J = 1, I
0252      JJ = J + 1
0253      PD4(I,JJ)=PD2(I,JJ)-PD2(I,J)
0254      PD3(I,JJ) =PD1(I,JJ) - PD1(I,J)
0255      IF(PD4(I,JJ).LT.0) PD4(I,JJ) = 0
0256      63 IF(PD3(I,JJ).LT.0) PD3(I,JJ) = 0
0257      DO 64 I= 1,NAGE
0258      64 Z(I) = 0
0259      KK = NAGE+1
0260      DO 65 J = 1, NAGE
0261      DO 65 I = 1, NAGE
0262      65 Z(J) = Z(J) + PD1(I,J)
      C
0263      DO 66 I= 1, NAGE
0264      KK = KK-1
0265      66 Z(I) = Z(I) / KK
0266      WRITE(3,67)      (Z(I),I=1,NAGE )
0267      67 FORMAT('0', 3X,'GRAND AVE. LENGTH', 10F10.4 )
0268      WRITE(3,68)
0269      68 FORMAT('0',// , 30X,'INCREMENTS',//)
0270      WRITE(3,412) (I,I=1,NAGE)
0271      DO 69 I = 1, NAGE
0272      69 WRITE(3,56) I, ICNT(I,1) ,      (PD3(I,J),J=1,I)
0273      DO 105 I=1,NAGE
0274      105 Z(I)=0
0275      DO 107 J=1,NAGE
0276      DO 107 I=1,NAGE
0277      107 Z(J)=Z(J)+PD3(I,J)
0278      KK=NAGE+1
0279      DO 112 I=1,NAGE
0280      KK=KK-1
0281      112 Z(I)=Z(I)/KK
0282      WRITE(3,67)      (Z(I),I=1,NAGE )
0283      WRITE(3,70)
0284      70 FORMAT('1',20X,'QUADRATIC ESTIMATED BODY LENGTH AT ANNULUS',// )
      C
0285      WRITE(3,412) (I,I=1,NAGE)
0286      DO 71 I = 1, NAGE
0287      71 WRITE(3,56) I, ICNT(I,1)      , (PD2(I,J),J=1,I)
0288      DO 72 I= 1,NAGE
0289      72 Z(I) = 0
0290      DO 73 J = 1, NAGE
```



```
0291      DC 73 I = 1, NAGE
0292      73 Z(J) = Z(J) + PD2(I,J)
0293      KK = NAGE + 1
0294      DO 74 I = 1, NAGE
0295      KK = KK - 1
0296      74 Z(I) = Z(I) / KK
0297      WRITE(3,67) ( Z(I), I=1, NAGE)
0298      WRITE(3,75)
0299      75 FORMAT('0', //, 30X, 'INCREMENTS', // )
0300      WRITE(3,412) (I, I=1, NAGE)
0301      DC 76 I = 1, NAGE
0302      76 WRITE(3,56) I, ICNT(I,1), (PD4(I,J), J=1, I)
0303      DO 106 I=1, NAGE
0304      106 Z(I) = 0
0305      DO 108 J=1, NAGE
0306      DO 108 I=1, NAGE
0307      108 Z(J) = Z(J) + PD4(I,J)
0308      KK = NAGE + 1
0309      DO 111 I=1, NAGE
0310      KK = KK - 1
0311      111 Z(I) = Z(I) / KK
0312      WRITE(3,67) (Z(I), I=1, NAGE)
0313      IF (ISWTCH.NE.1) GO TO 993
0314      ISWTCH = 2
0315      GO TO 994
0316      993 CONTINUE
0317      GO TO 100
0318      101 CONTINUE
0319      STOP
0320      END
```

OPTIONS IN EFFECT NOID,EBCDIC,SOURCE,NOLIST,NODECK,LOAD,NOMAP
OPTIONS IN EFFECT NAME = MAIN , LINECNT = 50
STATISTICS SOURCE STATEMENTS = 320,PROGRAM SIZE = 61612
STATISTICS NO DIAGNOSTICS GENERATED

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0001      SUBROUTINE  REGRES ( M,NX,LD,LRX,LCX,LIX,LPD,LCXY,JOBS)
0002      COMMON  A(400),U(400),N, L, DET, X3(400),Y3(400),B(10)
0003      COMMON XXY(400,4) ,YY(400)
0004      DIMENSION      XP(10,10), X(10)          ,R(10,10)      06020
0005      DIMENSION XC(10,10), T(10), SED(10) ,V(10)
0006      DIMENSION  XX(10,10),          RY(400)
0007      DIMENSION ISORT(20),NUM(10,3)
0008      DIMENSION FMT(20)
0009      JOBS = 0
0010      K=0
0011      100 CONTINUE
0012      N1 = NX + 1      0602019C
0013      N2 = NX + 2      0602019C
0014      N3=N2+K
C
C      M = NO.OBS; NX = NO.OF X'S; LD=1 IF DATA PRINTED;      0602019C
C      LRX= 1 IF RAW S.S. PRINTED ; LCX= 1 IF CORRECTED S.S. PRINTED; 0602019C
C      LIX= 1 IF INVERSE PRINTED ; LPD = 1 IF PREDICTED Y'S PRINTED. 0602019C
C      LCXY= 1 IF CORRELATION COMPUTED AND PRINTED; JOBS = NO.JOBS. 0602019C
C
C      READ DATA INTO XXY(I,J)      0602019C
0015      KCNT=0
0016      N1=N1+K
0017      N2=N3
0018      NX=NX+K
0019      N= NX      0602019C
0020      L= N*(N+1)/2      0602019C
C
0021      IF(LD-1) 98,97,98      0602019C
0022      97 WRITE(3,65)
0023      65 FORMAT ('1 DATA',//)
0024      DO 96 I= 1, M
0025      96 WRITE(3,95) (XXY(I,J) , J= 2, N2)      0602019C
C
0026      95 FORMAT(' ',8E15.6)      0602019C
C
0027      98 DO 94 I = 1,M      0602019C
0028      XXY(I,1) = 1.      0602019C
0029      94 CONTINUE      0602019C
C
C      ZERO OUT X'X ARRAY      0602019C
C
0030      DO 93 I= 1,N2      0602019C
0031      DC 93 J= 1,N2      0602019C
0032      XP(I,J) = 0.      0602019C
0033      93 CONTINUE      0602019C
C

```



```

      C      COMPUTE RAW SUM SQUARES                                0602019C
      C                                                                 0602019C
0034      DO 3 K = 1, M                                           0602019C
0035      DO 92 II= 1, N2                                         0602019C
0036      92 X(II) = XXY(K,II)                                     0602019C
0037      DO 3 I = 1, N2                                          0602019C
0038      DO 3 J = 1, N2                                          0602019C
      C                                                                 0602019C
0039      XP(I,J) = XP(I,J) + X(I) * X(J)                         0602019C
0040      3 CONTINUE                                              0602019C
      C                                                                 0602019C
0041      IF(LRX- 1) 91,90,91                                     0602019C
      C                                                                 0602019C
0042      90 WRITE(3,69)                                          0602019C
0043      69 FORMAT('1 RAW SUM OF SQUARES',//)                    0602019C
0044      DO 87 I = 1, N2                                          0602019C
0045      87 WRITE(3,89) ( XP(I,J), J = 1, I )                    0602019C
      C                                                                 0602019C
0046      89 FORMAT('          ',//, 10( 6(F20.7,1X),/))          0602019C
      C                                                                 0602019C
      C      APPLY JORDAN REDUCTION TO GET CORRECTED SUM SQUARES  0602019C
      C                                                                 0602019C
0047      91 DO 4 J = 1, N2                                       0602019C
0048      4 XP(1,J) = XP(1,J) / M                                  0602019C
      C                                                                 0602019C
      C                                                                 0602019C
0049      DO 5 I = 1, N1                                           0602019C
0050      II = I + 1                                               0602019C
0051      DX = XP(II,1)                                           0602019C
      C                                                                 0602019C
0052      DO 5 J = 1, N1                                           0602019C
0053      JJ = J + 1                                               0602019C
0054      XC(I,J) = XP(II,JJ) - XP(1,JJ) * DX                    0602019C
0055      5 CONTINUE                                              0602019C
      C                                                                 0602019C
      C      OUTPUT OF CORRECTED SUM SQUARES                       0602019C
      C                                                                 0602019C
0056      IF(LCX- 1) 85,86,85                                       0602019C
0057      86 WRITE(3,54)                                           0602019C
0058      54 FORMAT('1 CORRECTED SUM OF SQUARES',//)              0602019C
0059      DO 83 I = 1, N1                                           0602019C
0060      83 WRITE(3,84) ( XC(I,J), J= 1, I )                    0602019C
0061      84 FORMAT('          ',//, 10(6(F20.7,1X),/))          0602019C
      C                                                                 0602019C
      C      COMPUTE AND OUTPUT SIMPLE CORRELATION COEFFICIENTS  0602019C
      C                                                                 0602019C
0062      85 CONTINUE                                              0602019C
0063      IF(LCXY- 1) 81,82,81                                     0602019C

```

```

0064      82 DC 6  I = 1, N1                0602019C
0065      DO 6  J = 1, N1                0602019C
0066      R(I,J) = XC(I,J) / SQRT(XC(I,I) * XC(J,J)) 0602019C
0067      6 CCNTINUE                      0602019C
0068      WRITE(3,59)
0069      59 FORMAT('1 SIMPLE CORRELATION COEFFICIENTS',//)
0070      DC 80 I = 1, N1
0071      80 WRITE(3,79) ( R(I,J), J= 1,I) 0602019C
0072      79 FORMAT('                                ',//,10(6(F20.7,1X),/)) 0602019C
0073      81 K= 0                          0602019C
0074      DO 7  I = 1, NX                  0602019C
0075      DO 7  J = 1, I                  0602019C
0076      K= K+1                          0602019C
0077      A(K) = XC(I,J)                  0602019C
0078      7 CONTINUE                      0602019C
0079      CALL BORDER                     0602019C
C                                           0602019C
0080      K= 0                            0602019C
0081      DO 8  I = 1, NX                  0602019C
0082      DO 8  J = 1, I                  0602019C
0083      K= K+1                          0602019C
0084      XX(I,J) = A(K)                  0602019C
0085      8 CONTINUE                      0602019C
C                                           0602019C
0086      DO 9  I = 1, NX                  0602019C
0087      DO 9  J = I, NX                  0602019C
0088      XX(I,J) = XX(J,I)              0602019C
0089      9 CONTINUE                      0602019C
0090      IF(LIX- 1) 77,78,77            0602019C
C                                           0602019C
C                                           0602019C
C           OUTPUT OF X'X INVERSE      0602019C
C                                           0602019C
0091      78 WRITE(3,55)
0092      55 FORMAT('1 OUTPUT OF X'X INVERSE', //)
0093      DO 76 I = 1, NX
0094      76 WRITE(3,75) ( XX(I,J), J = 1, I ) 0602019C
0095      75 FORMAT('                                ',//,10(6(F20.7,1X),/)) 0602019C
0096      77 CONTINUE                      0602019C
C                                           0602019C
C           COMPUTE B'S OF X'XB = X'Y  0602019C
C                                           0602019C
C                                           0602019C
0097      DC 10 I = 1, N1                0602019C
0098      B(I) = 0.                      0602019C
0099      10 CONTINUE
C                                           0602019C
0100      DO 11 I = 1, NX                0602019C
0101      II = I + 1                    0502019C
0102      DO 11 J = 1, NX                0602019C

```



```

C
C      COMPUTE T- VALUES = T
C
C
0133      DO 18 I = 1, N1
0134      II=I
0135      18 T(II) = B(II) / SED(II)
C
C      COMPUTE MULTIPLE R = RX
C
0136      RX = ERR / XC(N1,N1)
0137      RX=1-RX
0138      SBXY = BXY / NX
0139      IFTOT = N-1
0140      F1 = SBXY / ERRMS
C
C      OUT PUT B'S, T'S, AND S.D.
C
0141      WRITE(3,50)
0142      50 FORMAT('1',12X,'REGRESSION COEFF.',16X,'T',17X,'S.D.',//)
0143      DO 21 I = 1, N1
0144      21 WRITE(3,20) I,B(I), T(I), SED(I)
0145      20 FORMAT(' ',5X,I5,3F20.4)
C
C      COMPUTE ANALYSIS OF VARIANCE AND OUTPUT
C
0146      WRITE(3,38) RX
0147      38 FORMAT('0MULTIPLE R2=', F20.7,//)
0148      WRITE(3,108) (I,XP(1,I),I=2,N1)
0149      108 FORMAT('0',10X,'X MEANS (INDEPENDENT)',//,25(I5,F20.4,/))
0150      WRITE(3,109) XP(1,N2)
0151      109 FORMAT('0',10X,'Y MEAN (DEPENDENT)',//,5X,F20.4)
0152      WRITE(3,22)
0153      22 FORMAT('1 ANALYSIS OF VARIANCE TABLE',// )
0154      WRITE(3,23)
0155      23 FORMAT('0 SOURCE',14X,'D.F',17X,'SUM SQ.',14X,'MEAN SQ',13X,'F',/) 0602019C
0156      WRITE(3,24) NX, BXY, SBXY, F1
0157      24 FORMAT('0 REGRESS',13X,I5,07X,3(F20.8))
0158      WRITE(3,25) IFERR, ERR, ERRMS
0159      25 FORMAT('0ERROR',15X,I5,07X, 2(F20.8))
0160      WRITE(3,26) IFTOT, XC(N1,N1)
0161      26 FORMAT ('0TOTAL',15X,I5, 07X,F20.7)
C
C      COMPUTE AND OUTPUT OBS, PREDICTED, AND RESIDVAL
C
0162      IF(LPD - 1) 28,27,28
0163      27 DC 29 I = 1,M
0164      YY(I) = 0.

```

```

C          COMPUTE T- VALUES = T          0602019C
C          0602019C
C          0602019C
C          0602019C
0133      DO 18 I = 1, N1
0134      II=I
0135      18 T(II) = B(II) / SED(II)

C          COMPUTE MULTIPLE R = RX          0602019C
C          0602019C
C          0602019C
0136      RX = ERR / XC(N1,N1)          0602019C
0137      RX=1-RX
0138      SBXY = BXY / NX          0602019C
0139      IFTOT = N-1
0140      F1 = SBXY / ERRMS          0602019C

C          OUT PUT B'S, T'S, AND S.D.      0602019C
C          0602019C
C          0602019C
0141      WRITE(3,50)
0142      50 FORMAT('1',12X,'REGRESSION COEFF.',16X,'T',17X,'S.D.',/)
0143      DO 21 I = 1, N1          0602019C
0144      21 WRITE(3,20) I,B(I), T(I), SED(I)
0145      20 FORMAT(' ',5X,I5,3F20.4)

C          COMPUTE ANALYSIS OF VARIANCE AND OUTPUT 0602019C
C          0602019C
C          0602019C
0146      WRITE(3,38) RX          0602019C
0147      38 FORMAT('0MULTIPLE R2=', F20.7,/)
0148      WRITE(3,108) (I,XP(1,I),I=2,N1)
0149      108 FORMAT('0',10X,'X MEANS (INDEPENDENT)',/,/,25(I5,F20.4,/)
0150      WRITE(3,109) XP(1,N2)
0151      109 FORMAT('0',10X,'Y MEAN (DEPENDENT)',/,/,5X,F20.4)
0152      WRITE(3,22)
0153      22 FORMAT('1 ANALYSIS OF VARIANCE TABLE',/ /)
0154      WRITE(3,23)
0155      23 FORMAT('0 SOURCE',14X,'D.F',17X,'SUM SQ.',14X,'MEAN SQ',13X,'F',/) 0602019C
0156      WRITE(3,24) NX, BXY, SBXY, F1
0157      24 FORMAT('0 REGRESS',13X,I5,07X,3(F20.8))
0158      WRITE(3,25) IFERR, ERR, ERRMS          0602019C
0159      25 FORMAT('0ERROR',15X,I5,07X,2(F20.8))
0160      WRITE(3,26) IFTOT, XC(N1,N1)
0161      26 FORMAT('0TOTAL',15X,I5,07X,F20.7)

C          COMPUTE AND OUTPUT OBS, PREDICTED, AND RESIDVAL 0602019C
C          0602019C
C          0602019C
0162      IF(LPD - 1) 28,27,28
0163      27 DC 29 I = 1,M          0602019C
0164      YY(I) = 0.          0602019C

```

0165	29	CCONTINUE	0602019C
0166		DO 30 I = 1,M	0602019C
0167		DC 30 J = 1,N1	0602019C
0168		YY(I) = YY(I) + XXY(I,J) * B(J)	0602019C
0169	30	CONTINUE	0602019C
		COMPUTE RESIDVALS	0602019C
		C	
		C	
0170		IF(JOBS.EQ.1) GO TO 101	0602019C
0171		DC 31 I = 1,M	0602019C
0172		RY(I) = XXY(I,N2) - YY(I)	0602019C
0173	31	CONTINUE	
0174		WRITE(3,43)	
0175	43	FORMAT('1',16X,'OBSERVED',12X,'PREDICTED',11X,'RESIDUAL',//)	0602019C
0176		DC 32 I = 1, M	
0177	32	WRITE(3,105) I, XXY(I,N2), YY(I), RY(I)	
0178		GC TO 28	
0179	101	CONTINUE	
0180		WRITE(3,102)	
0181	102	FORMAT('1',16X,'LOG OBS',12X,'LOG PREDICT',10X,'OBSERVED',11X, 1 'PREDICTED',10X,'RESIDUAL',/)	
0182		DO 103 I=1,M	
0183		A(I)=10**XXY(I,N2)	
0184		U(I)=10**YY(I)	
0185	103	RY(I)=A(I)-U(I)	
0186		DO 104 I=1,M	
0187		WRITE(3,105) I, XXY(I,N2), YY(I), A(I), U(I), RY(I)	
0188	105	FORMAT(' ',15,5F20.4)	
0189	104	CONTINUE	
0190	28	CONTINUE	
0191		RETURN	0602019C
0192		END	

OPTIONS IN EFFECT NOID,EBCDIC,SOURCE,NOLIST,NODECK,LOAD,NOMAP
OPTIONS IN EFFECT NAME = REGRES , LINECNT = 50
STATISTICS SOURCE STATEMENTS = 192,PROGRAM SIZE = 9880
STATISTICS NO DIAGNOSTICS GENERATED

```

0001      SUBROUTINE BORDER                                0602019B
0002      COMMON A(400),U(400),N,L,DET,X3(400),Y3(400),B(10)
0003      CCMMON XXY(400,4),YY(400)
C
0004      DET = 1.                                          0602019B
0005      KKK = 1                                          0602019B
C
0006      IF (A(1)) 3,75,3
0007      3 A(1) = 1.0/A(1)
0008      IF(N.LT.2) GO TO 11
0009      DO 22 K = 2,N                                    0602019B
0010      KK = K-1                                         0602019B
0011      KKK = KKK +KK
C
C      STORE KTH COL OF A TEMP IN U .
C
0012      DO 4 I= 1,KK
0013      J = KKK+ I - 1
0014      4 U(I) = A(J)
C
C      ZERO OUT KTH COL OF A
C
0015      DO 5 I= 1,KK
0016      J= KKK +I - 1
0017      5 A(J) = 0.
C
C      COMPUTE (INVERSE A(K-1)) * U(K); STORE IN A
C
0018      DO 6 I= 1,KK
0019      L1=KKK + I - 1
0020      LL= I*(I-1)/2 + 1
0021      LL1= I*(I+1)/2
0022      LP = LL -1
0023      NCX =0
0024      DO 6 J = 1,KK                                    0602019B
0025      NCX = NCX +1
0026      LP = LP + 1
0027      IF(LP - LL1) 50,50,51
0028      50 NZ = LP
0029      GO TO 60
0030      51 NZ = NZ + NCX -1
0031      60 A(L1) = A(L1) + A(NZ) * U(J)
0032      6 CCNTINUE
C
C      COMPUTE U*(K) * INV A(K-1) * U(K) ; STORE IN ALPHA
C
0033      ALPHA = 0.
0034      DO 7 I = 1,KK

```

```

0035      J = KKK + I - 1                                0602019B
0036      7 ALPHA = ALPHA + U(I) * A(J)                  0602019B
      C
      C      COMPUTE ALPHA                                0602019B
      C
0037      JJ = KKK + K - 1                                0602019B
0038      ALPHA = A(JJ) - ALPHA                          0602019B
      C
0039      IF(ALPHA) 8,75,8                                0602019B
      C
      C      COMPUTE DETERMINANT OF A                    0602019B
      C
0040      8 DET = DET * ALPHA                              0602019B
      C
      C      COMPUTE: INV A(K-1) + INV A(K-1)*U(K) * U(K)'* INV A(K-1) 0602019B
      C
0041      DO 41 I= 1, KK
0042      J = KKK+ I - 1
0043      41 U(I) = A(J)
      C
0044      DO 55 I = 1, KK
0045      LL = I*(I+1)/2
0046      NX = I
      C
0047      DO 55 J = NX, KK
0048      A(LL) = A(LL) + U(J) *U(I) / ALPHA
0049      LL = LL + J
0050      55 CONTINUE
      C
      C      COMPUTE: - INV A(K-1)* U(K) / ALPHA          0602019B
      C
0051      DO 9 I = 1, KK
0052      J = KKK + I - 1
0053      9 A(J) = -A(J) / ALPHA
      C
      C      COMPUTE : 1/ALPHA ; STORE IN A                0602019B
      C
0054      JJ = KKK + KK
0055      A(JJ) = 1.0 / ALPHA
      C
0056      22 CONTINUE
0057      GO TO 11
0058      75 WRITE (3,10) ALPHA
0059      10 FORMAT ('NO SOLUTION BECAUSE OF SINGULAR MATRIX',10X,F10.8)
0060      STOP
0061      11 RETURN
0062      END

```


OPTIONS IN EFFECT NOID,EBCDIC,SOURCE,NOLIST,NODECK,LOAD,NOMAP
OPTIONS IN EFFECT NAME = BORDER , LINECNT = 50
STATISTICS SOURCE STATEMENTS = 62,PROGRAM SIZE = 1594
STATISTICS NO DIAGNOSTICS GENERATED

```
0001      SUBROUTINE PLOT(ICODE,XMAX,XMIN,YMAX,YMIN)
0002      CCOMMON A(400),U(400),N,L,DET,X3(400),Y3(400),B(10)
0003      CCOMMON XXY(400,4),YY(400)
0004      DIMENSION X(400),Y(400),IT(400)
0005      XMIN=XMIN
0006      XMAX=XMAX
0007      YMIN=YMIN
0008      YMAX=YMAX
0009      DC 40 I=1,N
0010      X(I)=X3(I)
0011      40 Y(I)=Y3(I)
0012      DO 25 I=1,N
0013      25 IT(I)=11
C
0014      GC TO (41,42,43),ICODE
C
C      FIND XMIN, XMAX ,YMIN,AND YMAX
0015      41 CONTINUE
0016      XMIN = 100000.
0017      XMAX =-100000.
C
0018      DO 10 I=1,N
0019      IF(X(I).GE.XMIN) GO TO 13
0020      XMIN = X(I)
0021      42 CCONTINUE
0022      13 IF(XMAX.GE.X(I)) GO TO 10
0023      XMAX = X(I)
0024      14 CONTINUE
0025      10 CCONTINUE
0026      YMIN = 100000.
0027      YMAX =-100000.
C
0028      DC 17 I = 1, N
C
0029      IF(Y(I).GE.YMIN) GO TO 15
0030      12 YMIN = Y(I)
0031      15 IF(YMAX.GE.Y(I)) GO TO 17
0032      16 YMAX = Y(I)
C
0033      17 CCONTINUE
0034      43 CONTINUE
C
0035      CALL PLOTLF( N, X,Y, IT, XMIN, XMAX, YMIN, YMAX )
0036      RETURN
0037      END
```

OPTIONS IN EFFECT NOID,EBCDIC,SOURCE,NOLIST,NODECK,LOAD,NOMAP

OPTIONS IN EFFECT NAME = PLOT , LINECNT = 50

STATISTICS SOURCE STATEMENTS = 37,PROGRAM SIZE = 5786

STATISTICS NO DIAGNOSTICS GENERATED


```
0029      200 PRINT (K) =TABLE (14)                                00480
0030      IFLAG=0                                                00490
0031      DO 260 K=1,N                                           00500
0032      IF (Y(K)-YT) 205,205,260                               00510
0033      205 IF (Y(K)-YL) 260,260,210                           00520
0034      210 XL=XMIN-XDELTA/2.                                   00530
0035      XT=XMIN+XDELTA/2.                                       00540
0036      DO 255 KA=1,101                                         00550
0037      IF (X(K)-XL) 250,215,215                               00560
0038      215 IF (X(K)-XT) 220,250,250                           00570
0039      220 IF (PRINT(KA)-TABLE(14)) 240,230,240              00580
0040      230 ITA=IT(K)                                           00590
0041      PRINT(KA)=TABLE(ITA)                                    00600
0042      GC TO 260                                               00610
0043      240 ITOTAL(KA)=ITOTAL(KA)+1                             00620
0044      IFLAG=1                                                00630
0045      GC TO 260                                               00640
0046      250 XL=XT                                              00650
0047      255 XT=XT+XDELTA                                        00660
0048      260 CONTINUE                                           00670
0049      YT=YL                                                  00680
0050      YL=YL-YDELTA                                           00690
0051      IF (IFLAG) 265,278,265                                  00700
0052      265 DO 275 LA=1,101                                     00710
0053      IF (ITOTAL(LA)-1) 268,275,268                          00720
0054      268 KK=ITOTAL(LA)                                       00730
0055      IF (KK-9) 272,272,270                                   00740
0056      270 KK=9                                               00750
0057      272 PRINT(LA)=TABLE(KK)                                 00760
0058      275 CCNTINUE                                           00770
0059      278 CCNTINUE                                           00780
0060      GO TO (280,300),L                                        00790
0061      280 IF (I-5) 285,285,400                               00800
0062      285 L=2                                                00810
0063      YP=YT+YDELTA/2.                                         00820
0064      WRITE (IO,290) YP, (PRINT(IXZ),IXZ=1,101)              00830
0065      290 FCRMAT (1X,E12.4,1H+,101A1,1H+)                   00840
0066      GC TO 350                                               00850
0067      300 WRITE (IO,310) (PRINT(IXZ),IXZ=1,101)             00860
0068      310 FCRMAT (13X,1H-,101A1,1H-)                        00870
0069      350 CONTINUE                                           00880
0070      400 WRITE (IO,290) YMIN, (PRINT(IXZ),IXZ=1,101)       00890
0071      WRITE (IO,100)                                          00900
0072      XP(1)=XMIN                                              00910
0073      XP(6)=XMAX                                              00920
0074      XR=20.*XDELTA                                           00930
0075      DO 410 I=2,5                                           00940
0076      410 XP(I)=XP(I-1)+XR                                    00950
```

0077	WRITE (IO,420) (XP(IXZ),IXZ=1,6)	00960
0078	420 FORMAT(6(7X,E13.5))	00970
0079	IF (IOUT)600,600,500	00980
0080	500 WRITE (IO,550) IOUT	00990
0081	550 FORMAT (/20X,9H**NOTE. I4,60H POINTS FELL OUTSIDE THE SPECIFIED L	01000
	IMITS AND WERE OMITTED.)	01010
0082	600 CONTINUE	01020
0083	RETURN	01030
0084	END	01040

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